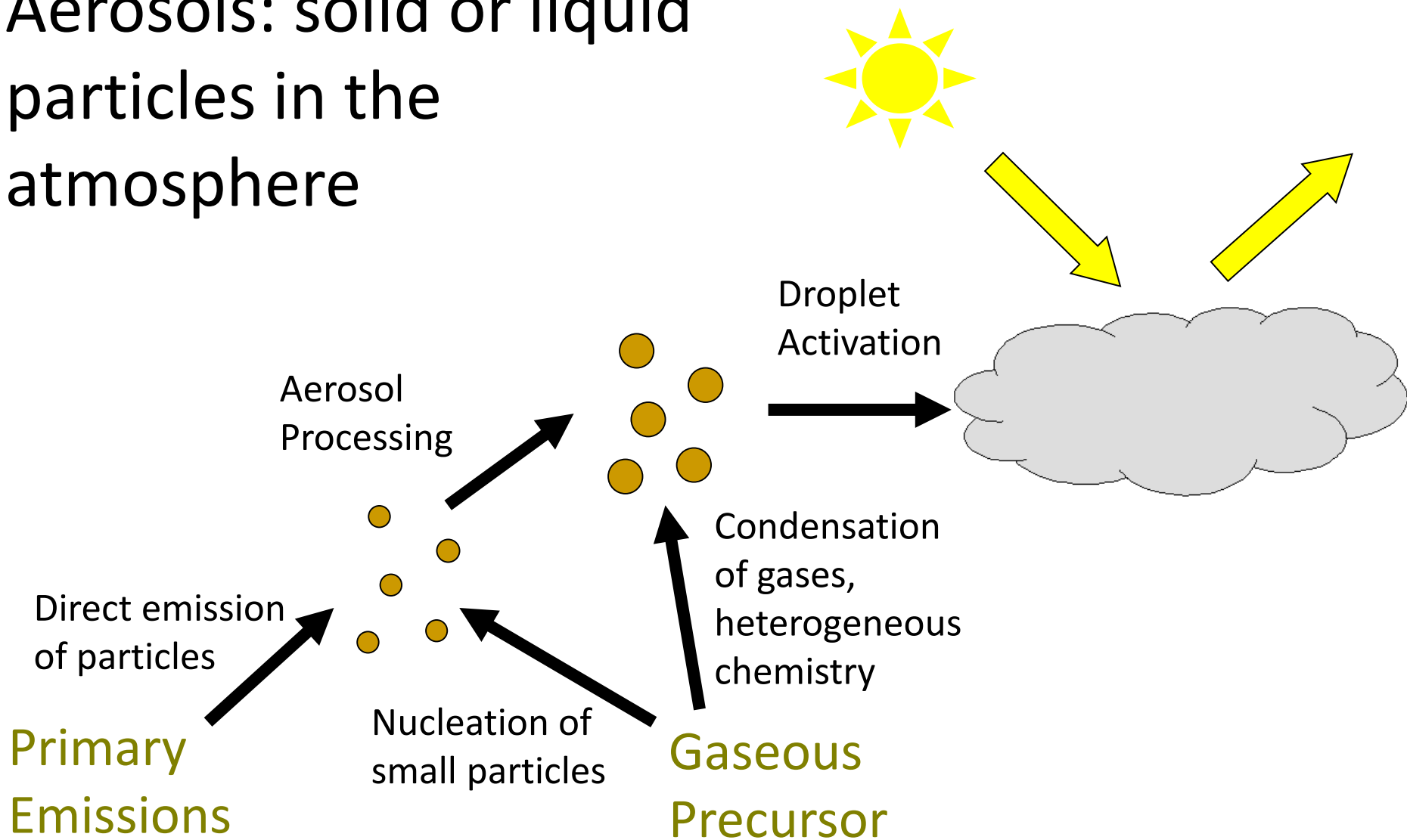


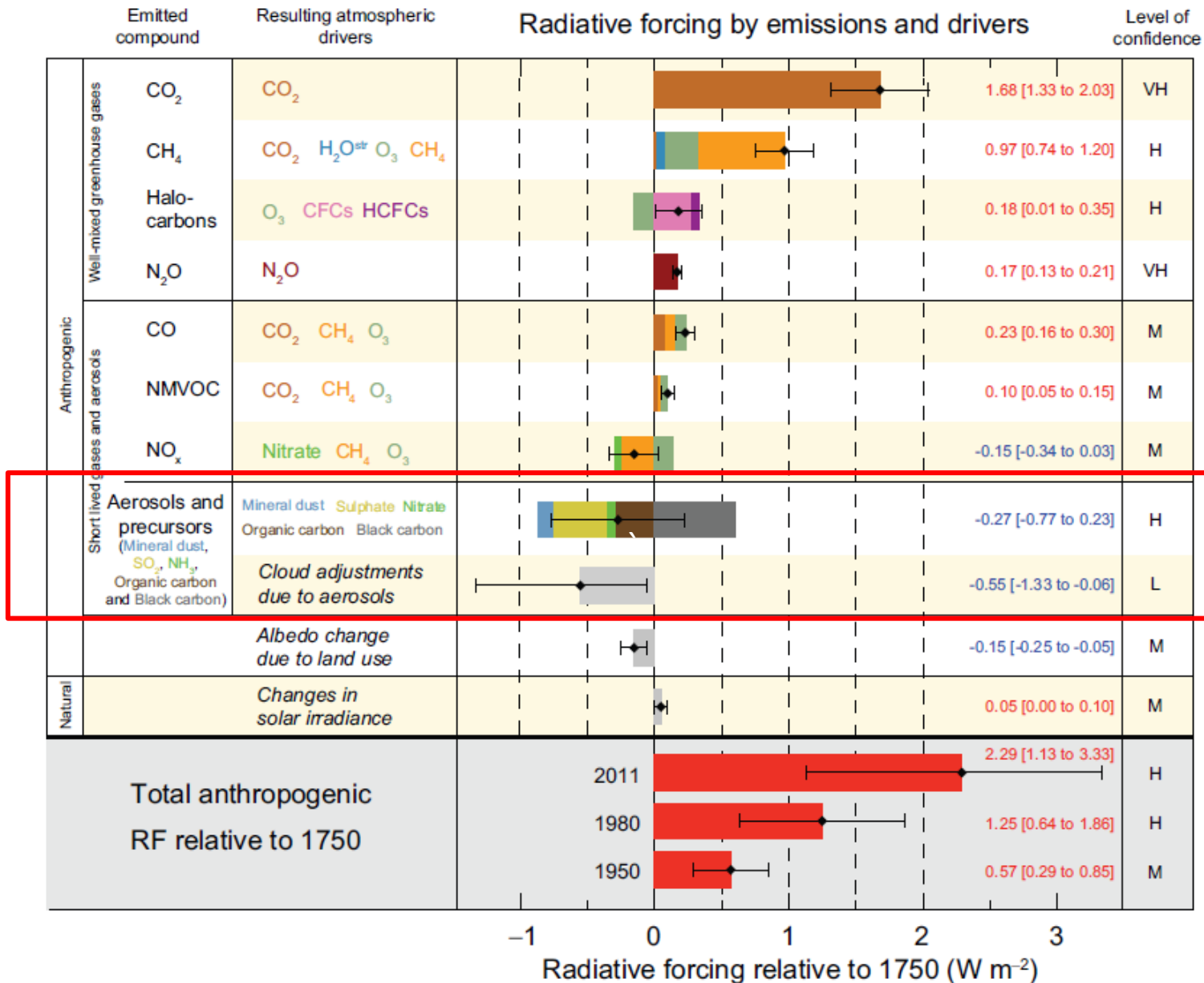
Arctic Aerosols: Interactions with Clouds and Radiation

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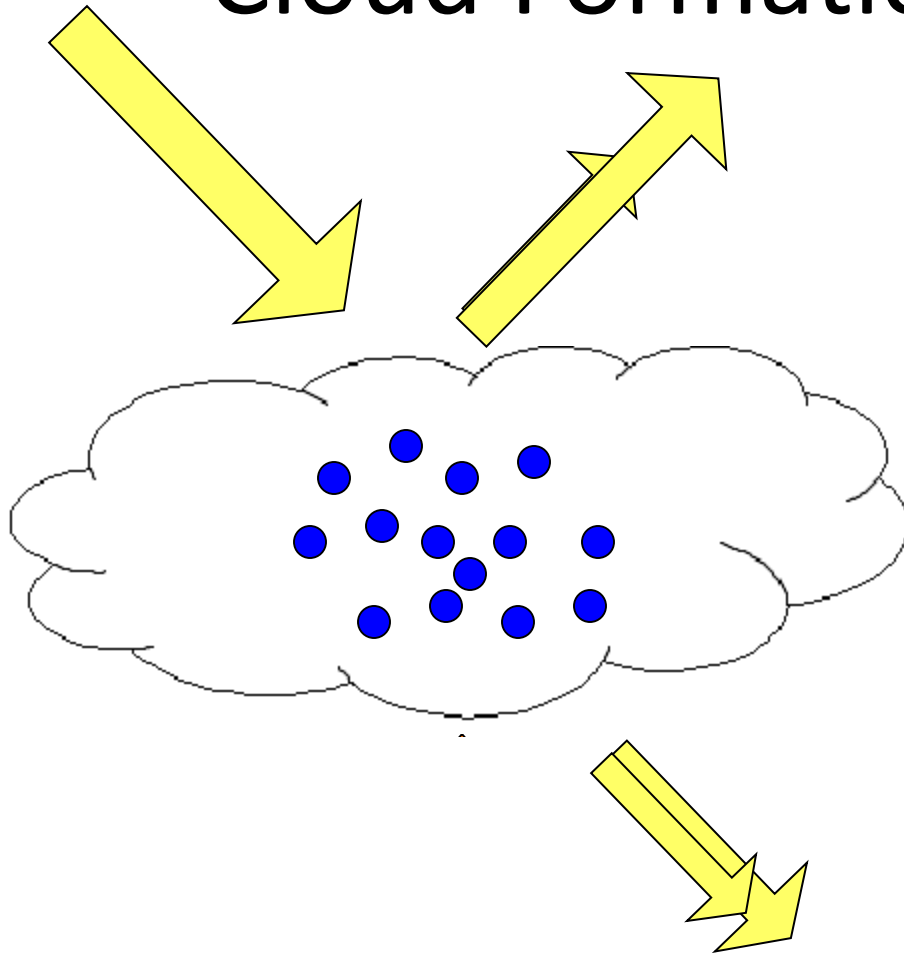
Aerosols: solid or liquid particles in the atmosphere



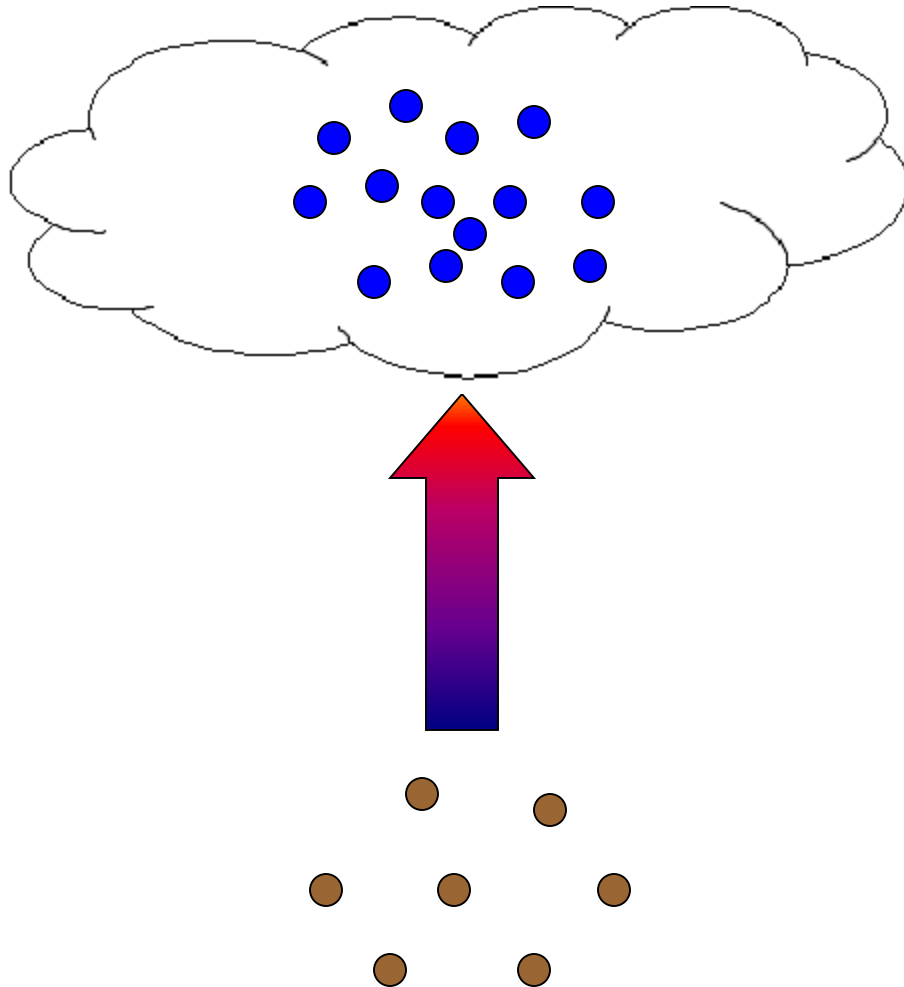
Uncertainties Due to Aerosols



Cloud Formation



Cloud Formation



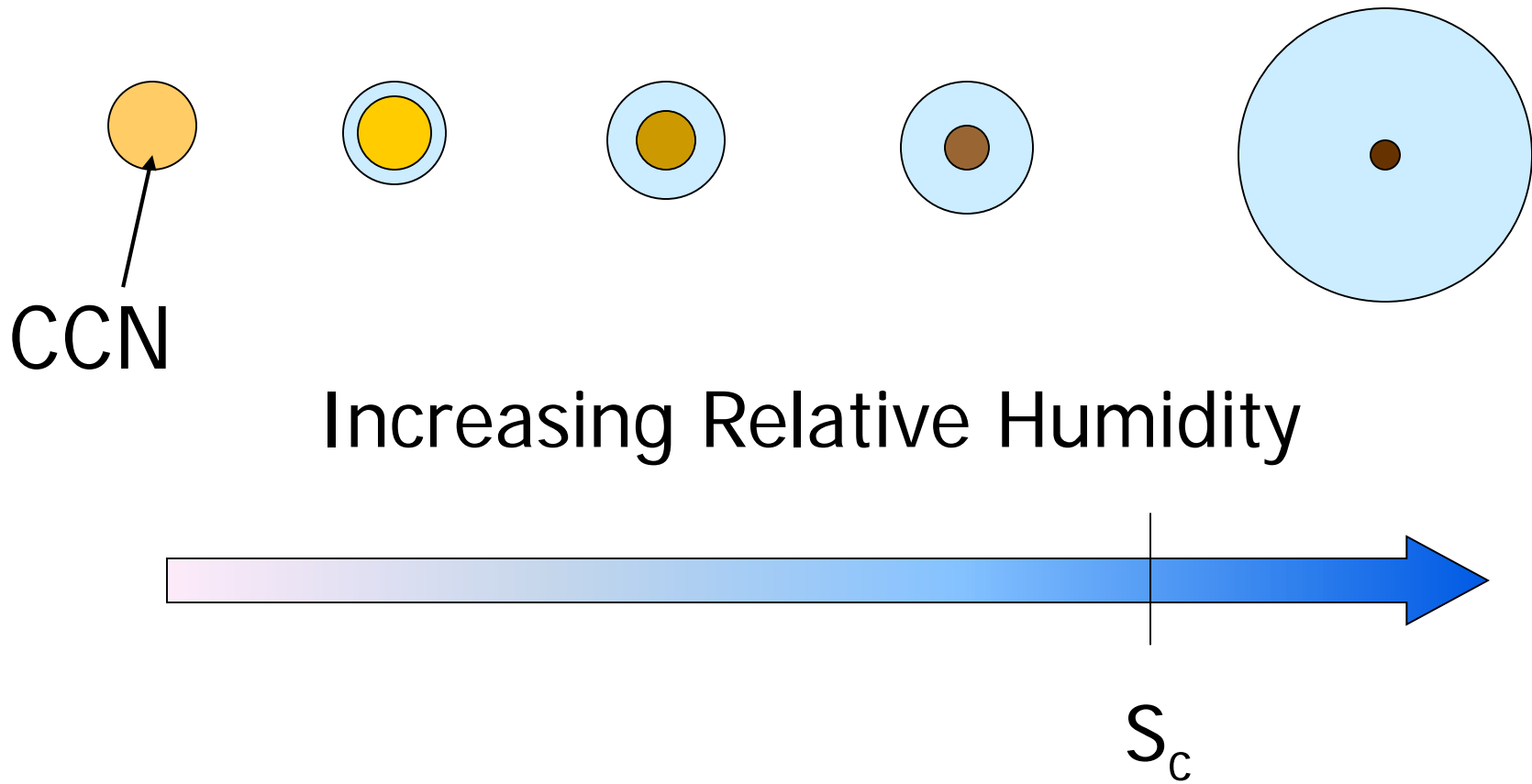
Supersaturation (S)

$$S = \left(\frac{P_{H_2O}}{P^{vap}} - 1 \right) \times 100\%$$

Critical Supersaturation (S_c)

The supersaturation at which a particle will spontaneously activate

Droplet Activation



Köhler Equation

$$S = \frac{4M_w \sigma_w}{RT \rho_w} \frac{1}{D} - \frac{M_w}{\rho_w} \frac{n_{sol}}{V_{shell}}$$

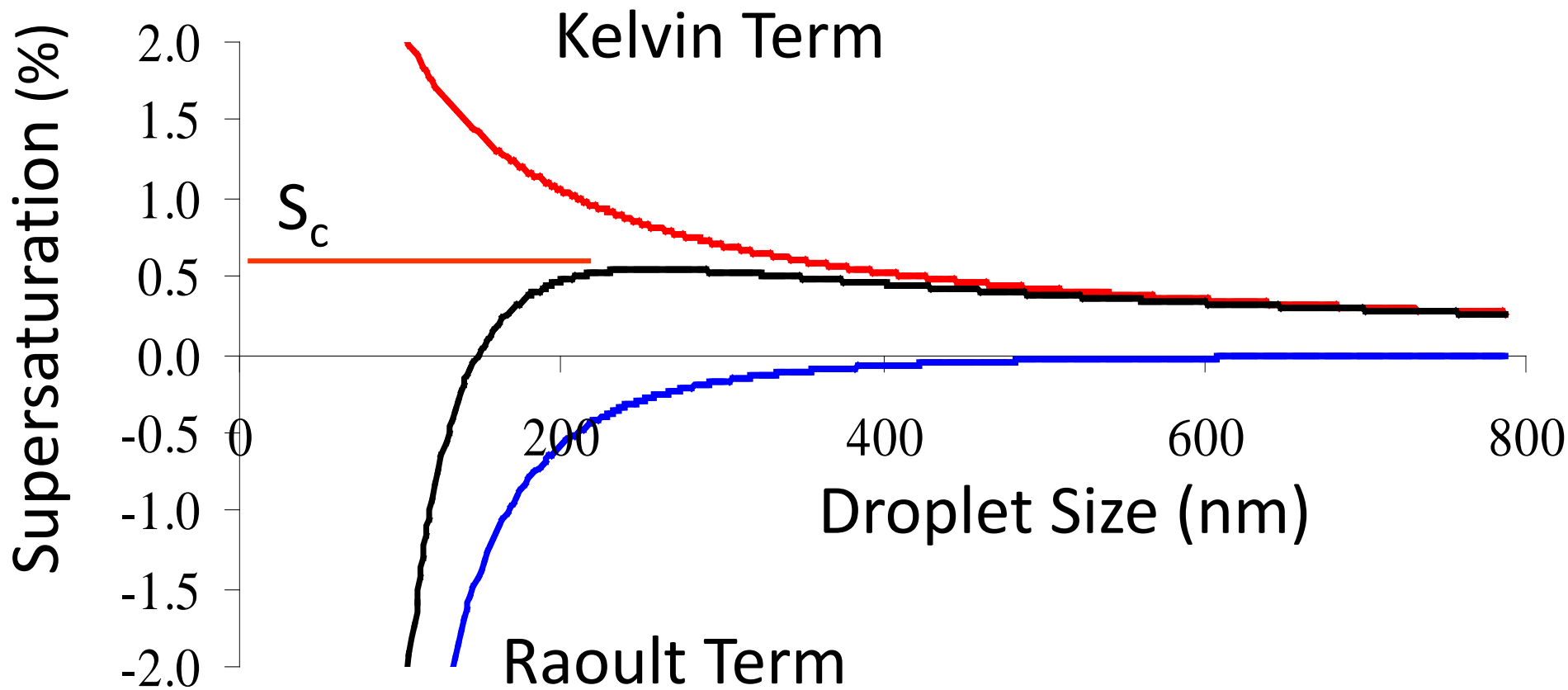
Kelvin Term

curvature increases
vapour pressure

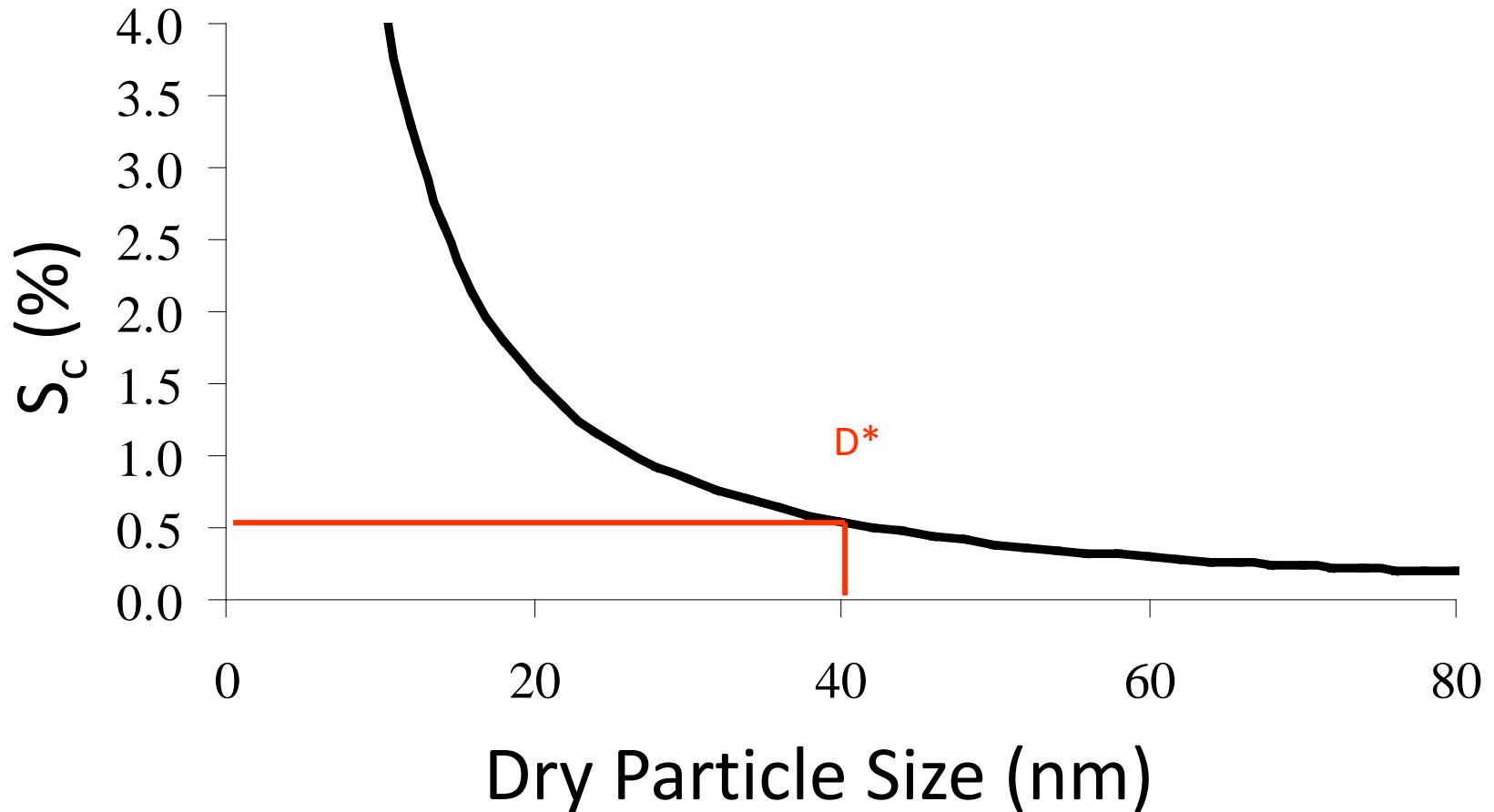
Raoult Term

solutes decrease
vapour pressure

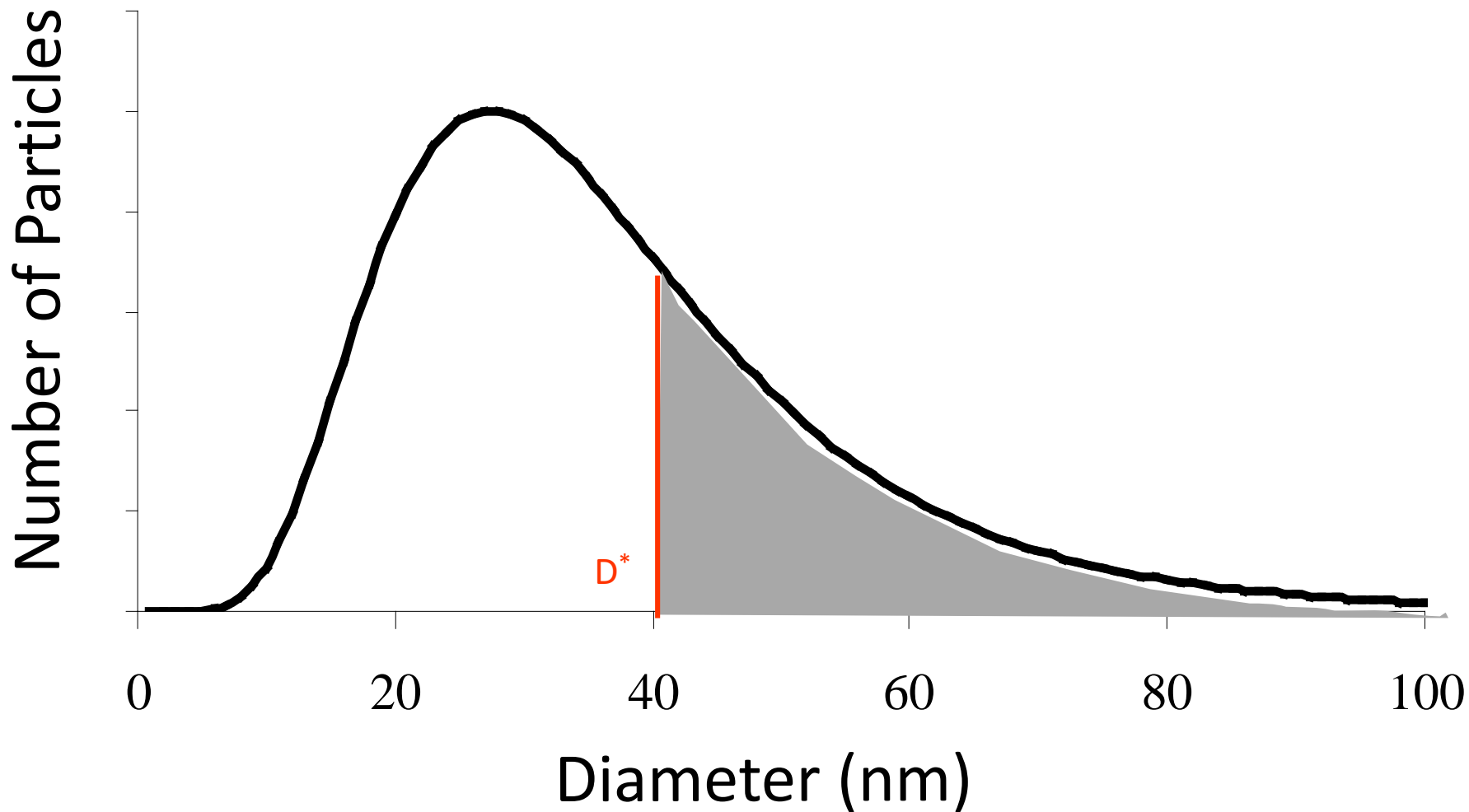
Köhler Curve



Critical Supersaturation and Activation Diameter



Predicted CCN from Size Distribution Data



Background – Köhler Theory

The activation of well-characterized inorganic and organic aerosol can be predicted using Köhler theory.

$$S(D) = \left(1 - \frac{M_w D_d^3}{\rho_w D^3} \sum \frac{v_{sol} \phi_{sol} \rho_{sol} \epsilon_{sol}}{M_{sol}} \right) \exp \left(\frac{4\sigma M_w}{\rho_w R T D} \right)$$

Problem

Ambient aerosol are composed of numerous compounds, especially the organic component.

Simplifying the Köhler Equation

$$S(D) = \left(1 - \frac{M_w D_d^3}{\rho_w D^3} \sum \frac{v_{sol} \phi_{sol} \rho_{sol} \epsilon_{sol}}{M_{sol}} \right) \exp\left(\frac{4\sigma M_w}{\rho_w R T D} \right)$$

Kappa Approach

Kappa Approach

- a single hygroscopic parameter (κ) that incorporates
 - solute molecular weight
 - solute density
 - solute non-idealities

$$K_{tot} = \varepsilon_1 K_1 + \varepsilon_2 K_2 + \varepsilon_3 K_3 + \dots$$

$$S(D) = \frac{D^3 - D_d^3}{D^3 - D_d^3(1 - \kappa)} \exp\left(\frac{4\sigma M_w}{\rho_w RTD}\right)$$

Kappa Approach

- a single hygroscopic parameter (κ) that incorporates
 - solute molecular weight
 - solute density
 - solute non-idealities

$$K_{tot} = \varepsilon_1 K_1 + \varepsilon_2 K_2 + \varepsilon_3 K_3 + \dots$$

Ammonium
Sulphate

0.61

Pinic Acid

0.25

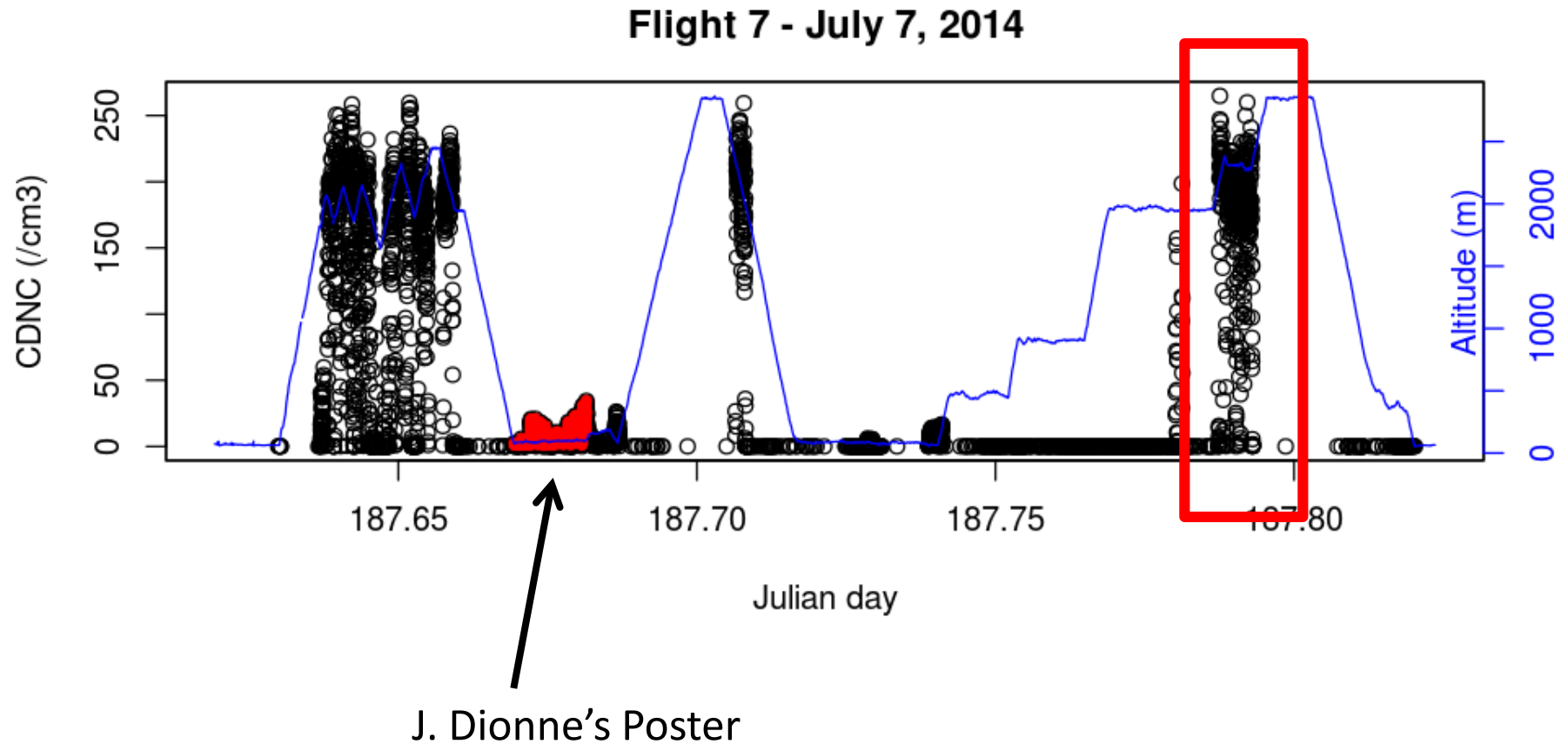
Hexadecane

<0.00002

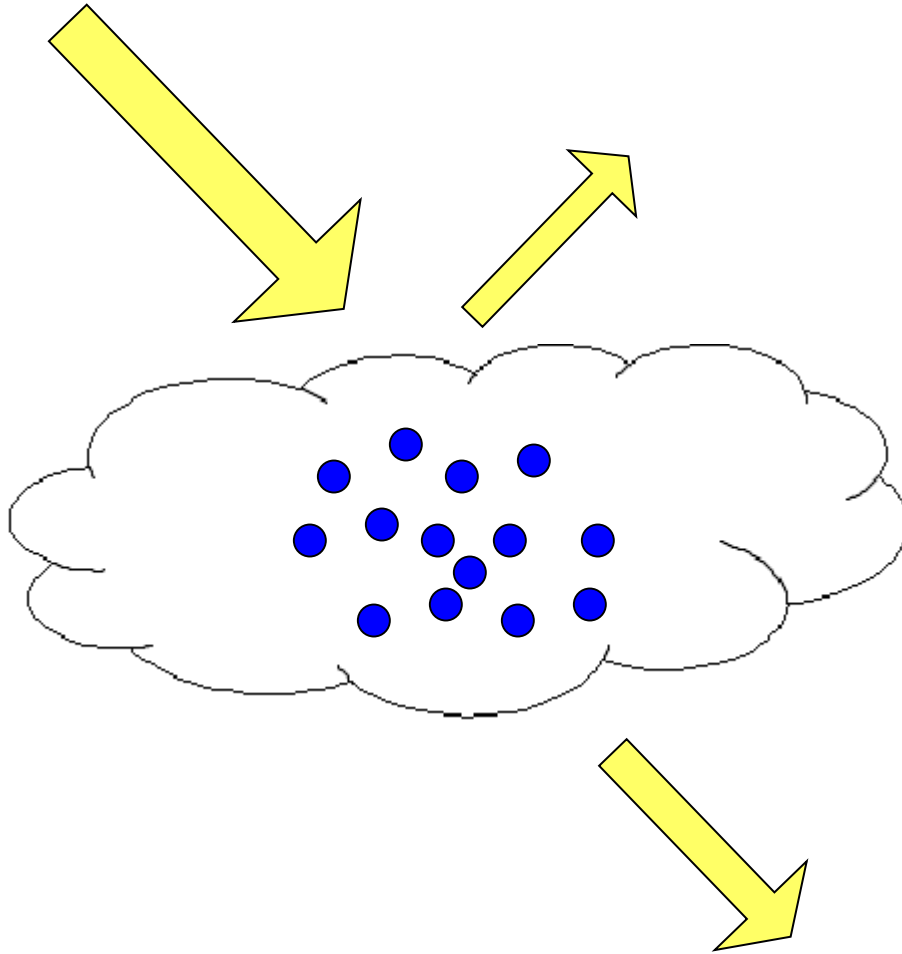
Hygroscopicity Parameter of Arctic Aerosol

- Central Arctic, ASCOS: 0.3 – 0.5
 - Martin et al. **2011**, *Atmos Chem Phys*
- Canadian Arctic, NETCARE 2014: 0.076
 - Willis et al. **2016**, *Atmos Chem Phys*

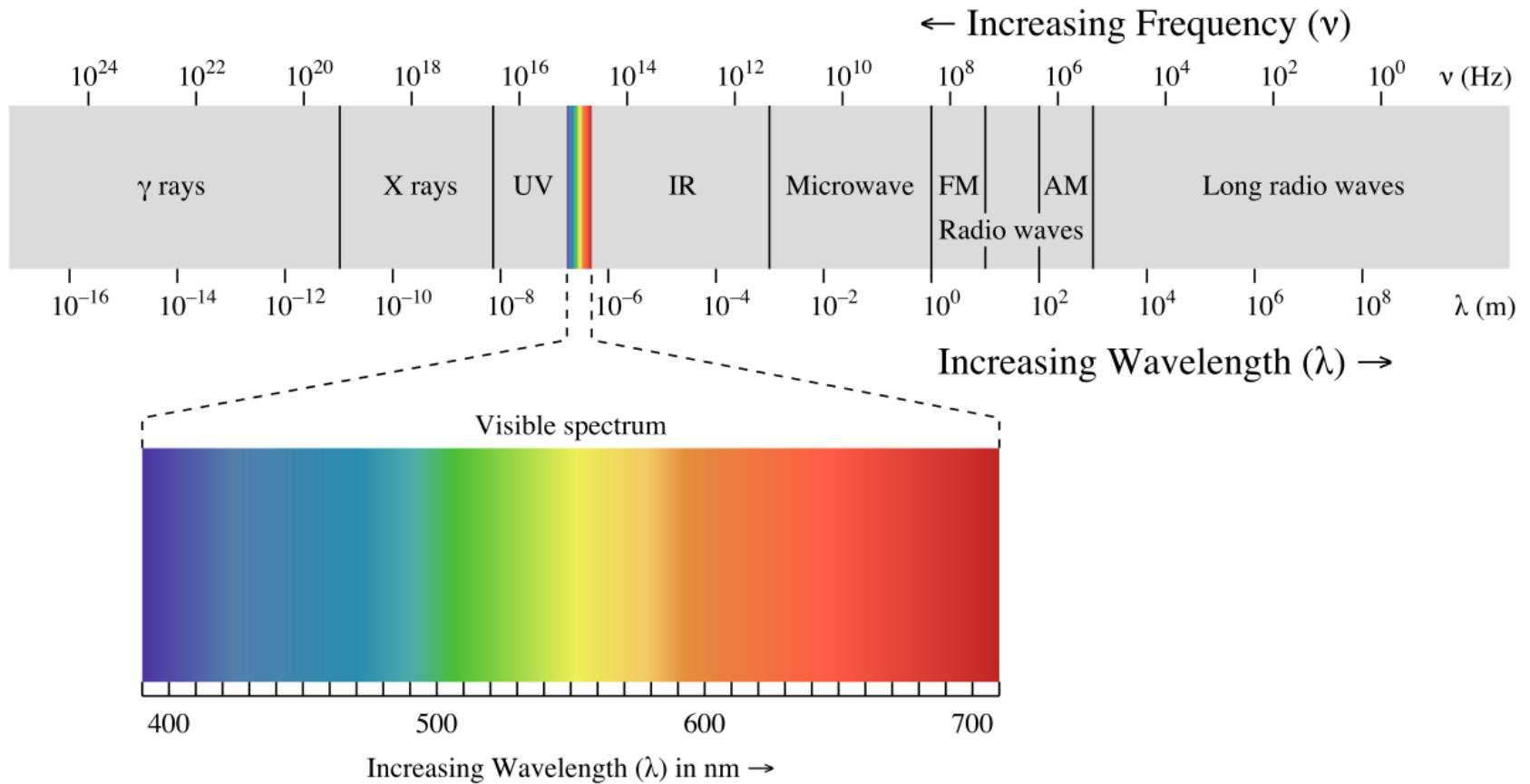
Simulating Clouds from NETCARE 2014 Using an Adiabatic Parcel Model



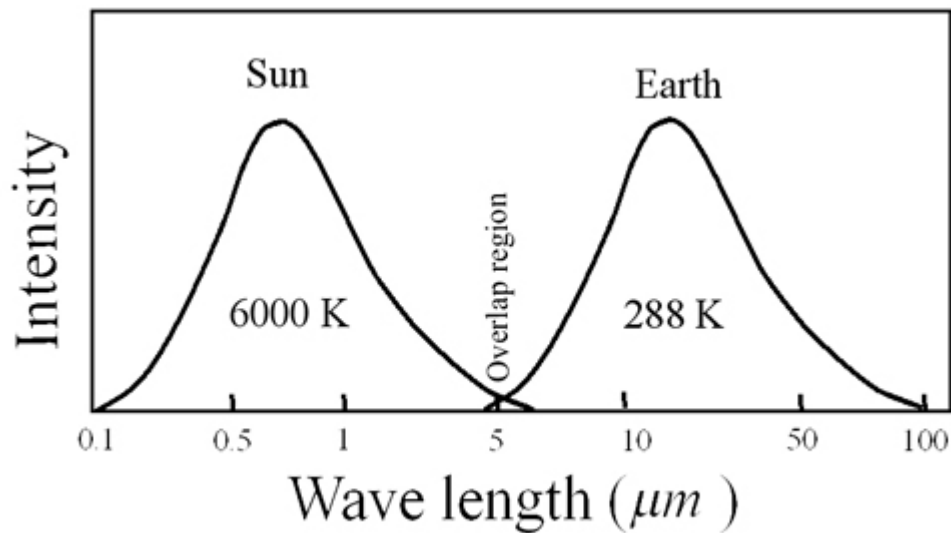
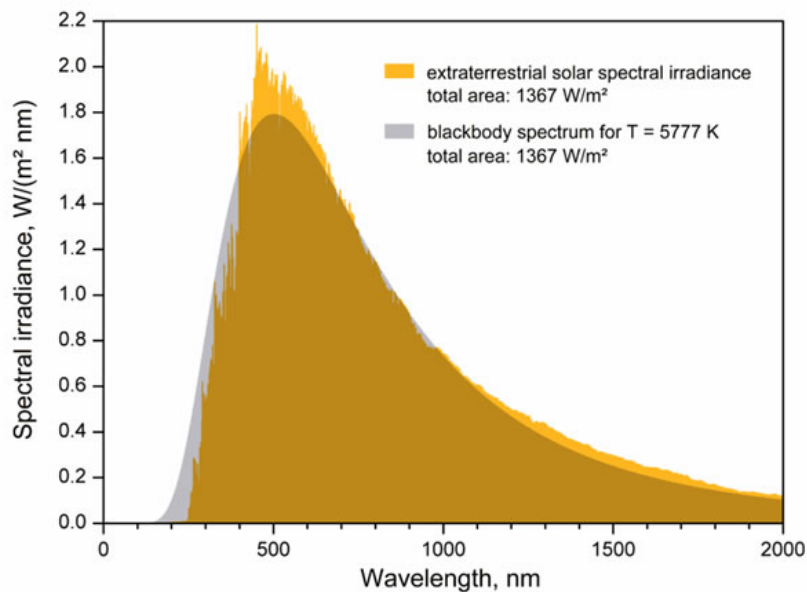
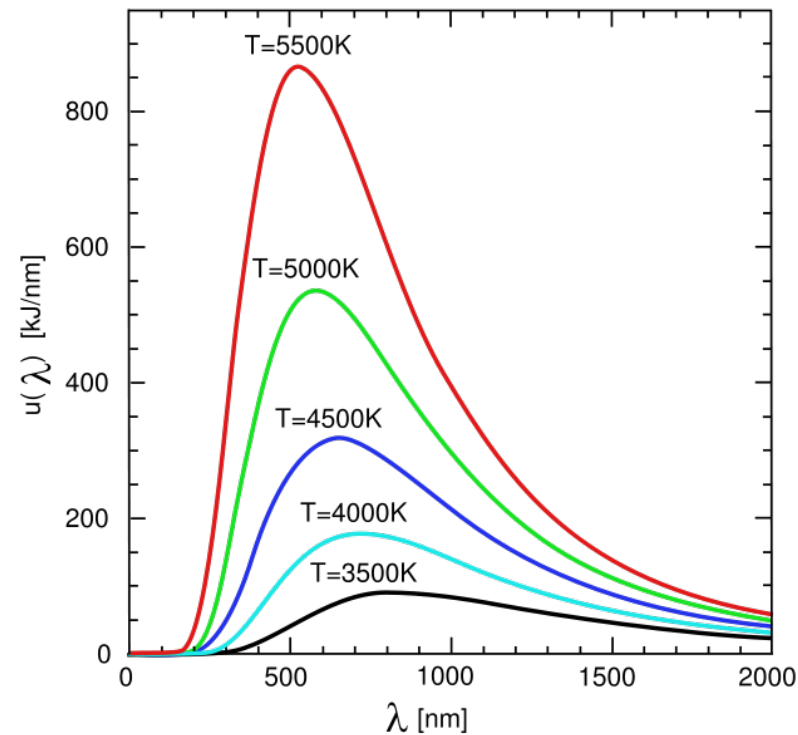
Aerosol and Cloud Scattering



Electromagnetic Spectrum



Blackbody Radiation



Size Parameter

$$\alpha = \frac{2\pi r}{\lambda}$$

$\alpha \ll 0.2$

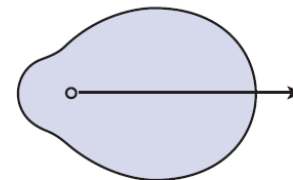
Rayleigh Scattering

Incident Beam



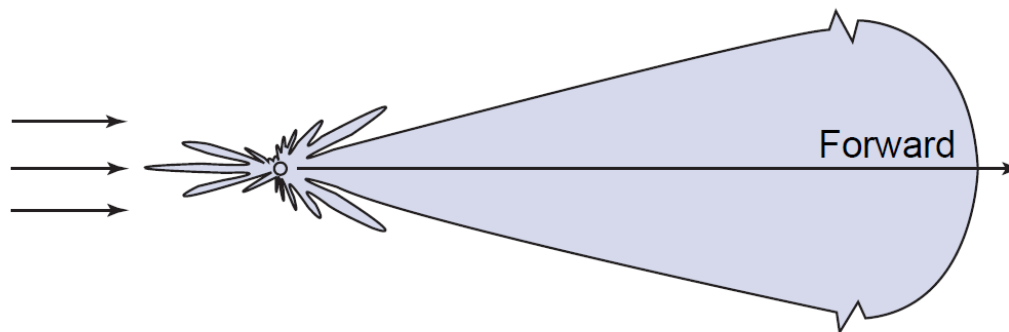
$0.2 \ll \alpha \ll 2000$

Mie Scattering



$2000 \ll \alpha$

Geometric Optics

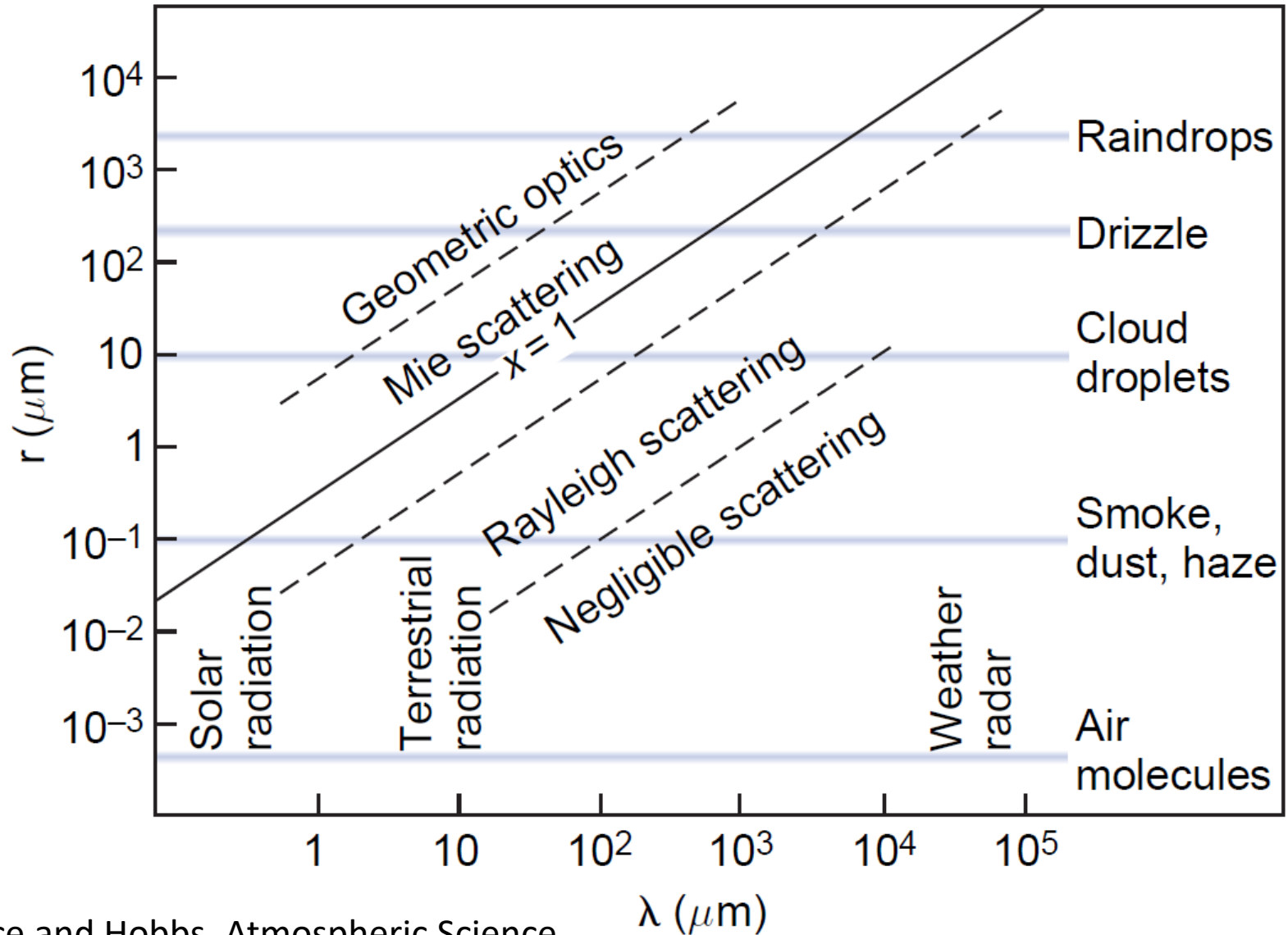




Scattering



Scattering Regimes



Absorbing Aerosols at the Surface



BC on snow & sea ice: $+0.13 \text{ W/m}^2$
Bond et al. **2013**, *JGR*, 118, 5380

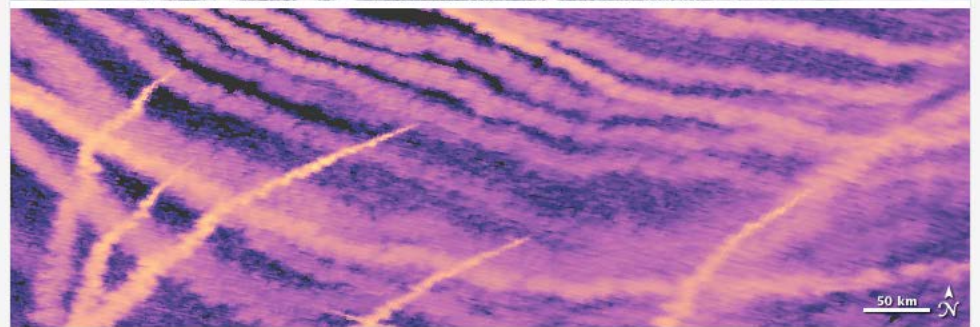
<https://earthobservatory.nasa.gov/Features/Aerosols/>

Satellite-scale Aerosol Effects

Direct Effects

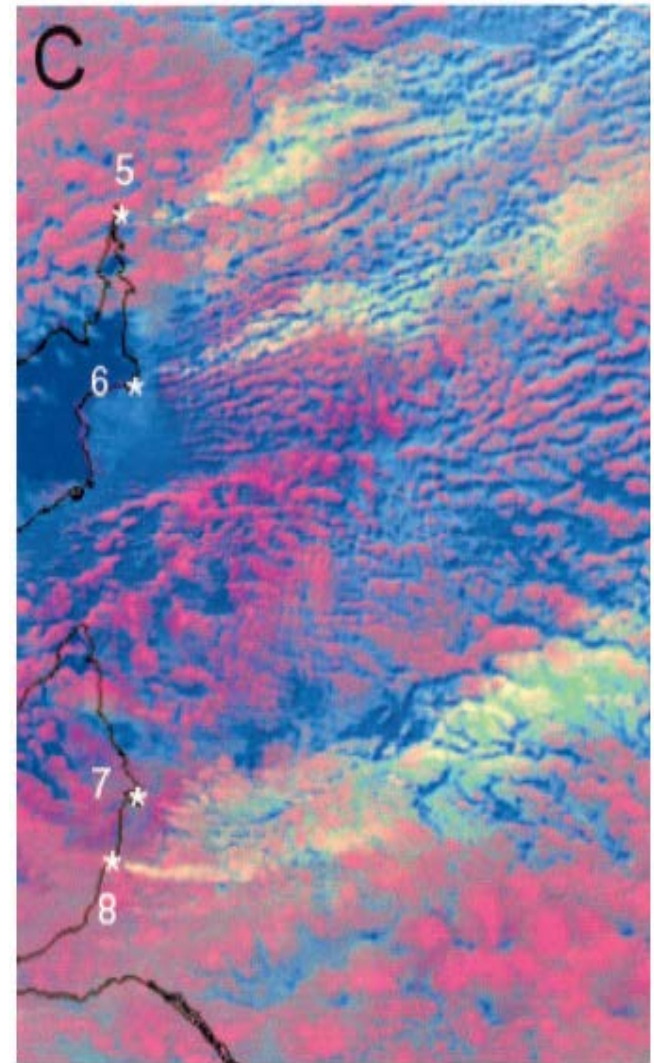


Indirect Effects



Anthropogenic Emissions and Clouds

- an increase in particle emission results in
 - first indirect effect
 - smaller cloud droplets
 - more reflective clouds
 - second indirect effect
 - clouds with longer lifetimes
- reduction in radiative forcing



Mathematically

$$\tau_c = 2\pi Nhr^2$$

$$L = \frac{4}{3}\pi r^3 N\rho_w$$

$$\tau_c = \frac{3Lh}{2\rho_w r}$$

$$\tau_c = h \left(\frac{9\pi L^2 N}{2\rho_w^2} \right)^{1/3}$$

τ = cloud optical depth

N = number of droplets

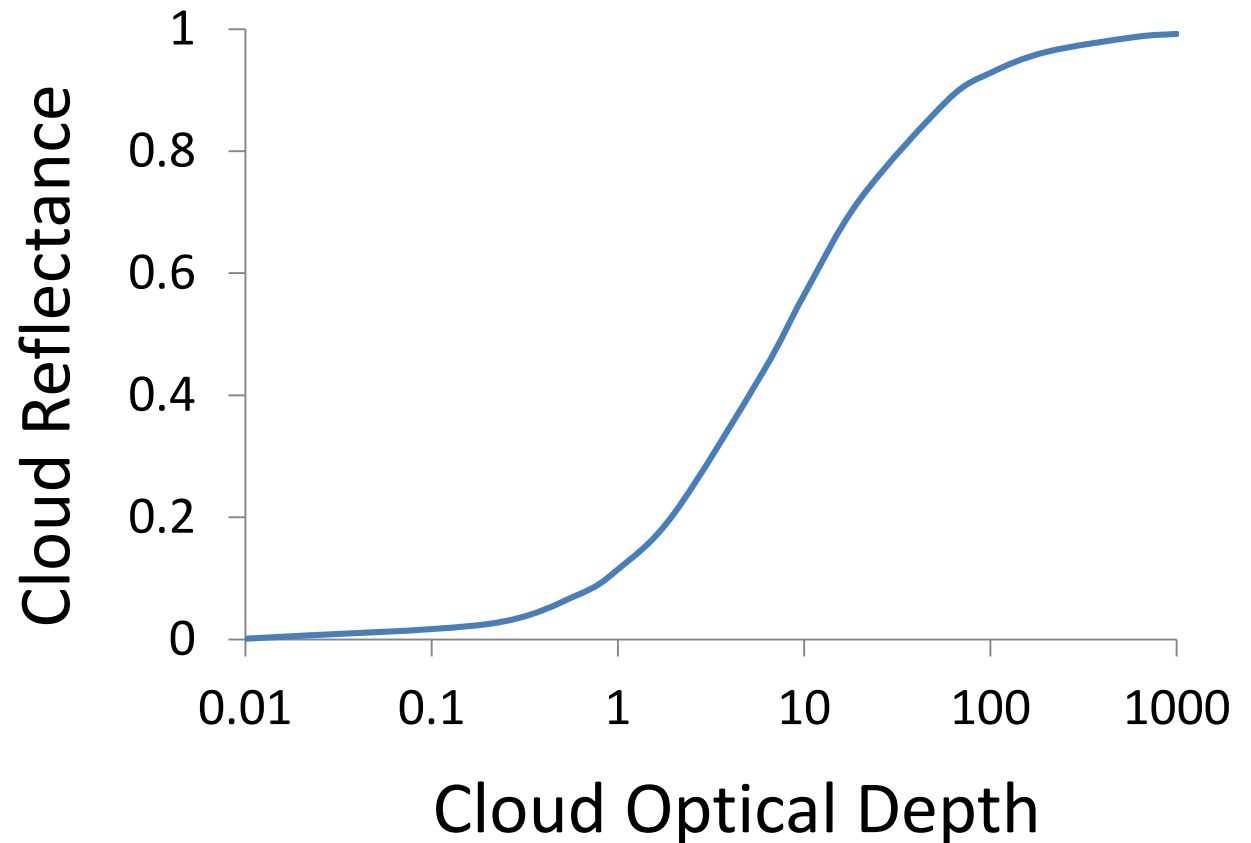
h = cloud thickness

r = droplet radius

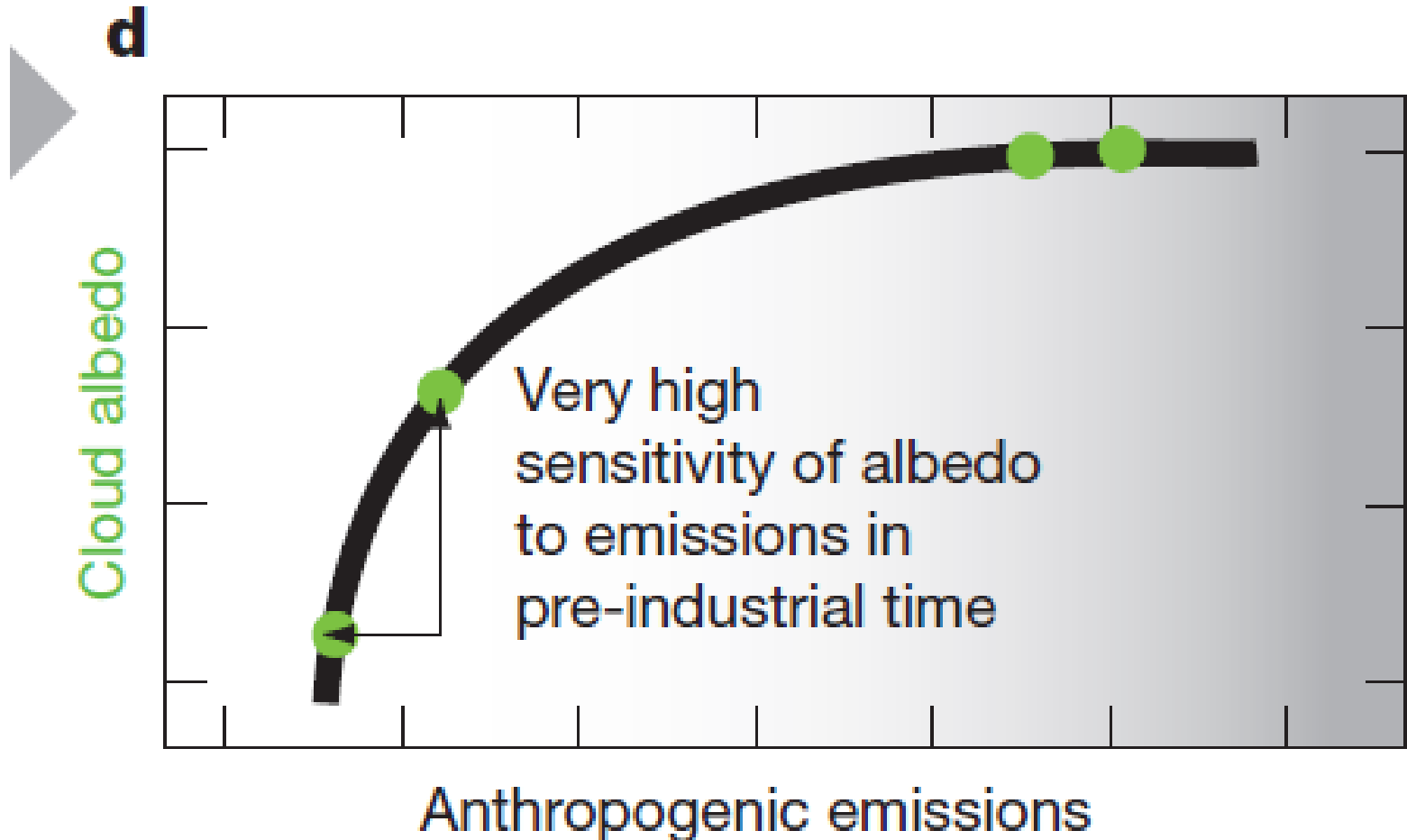
L = liquid water content

Cloud Reflectance

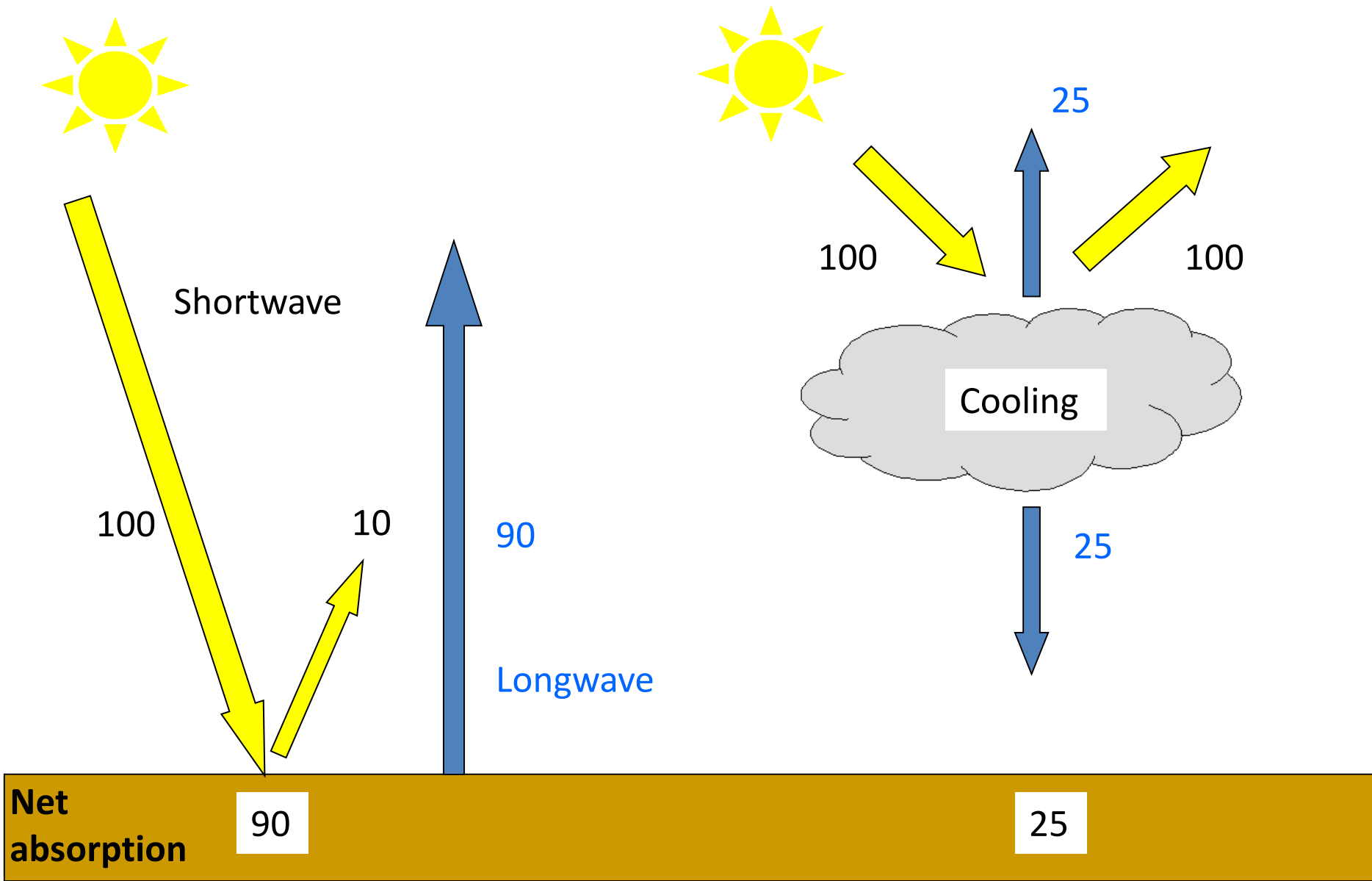
$$R_c \cong \frac{\tau_c}{\tau_c + 7.7}$$



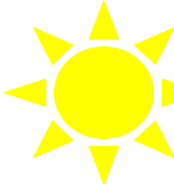
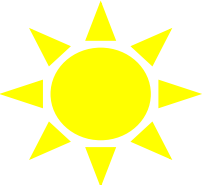
Arctic atmosphere sensitive to aerosol concentrations



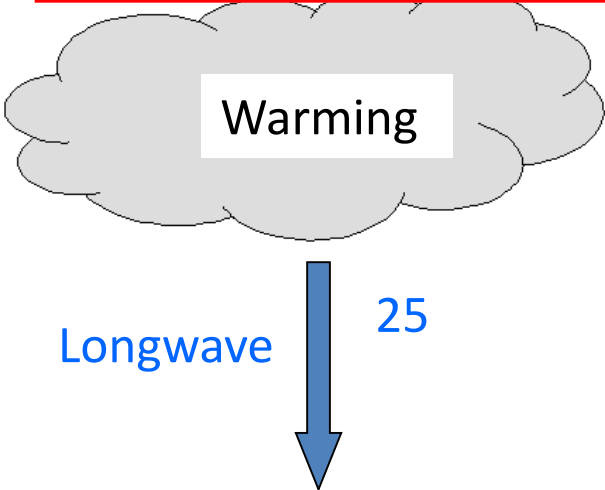
Clouds Cool: Surface Albedo = 0.1



Clouds Warm: Surface Albedo = 1



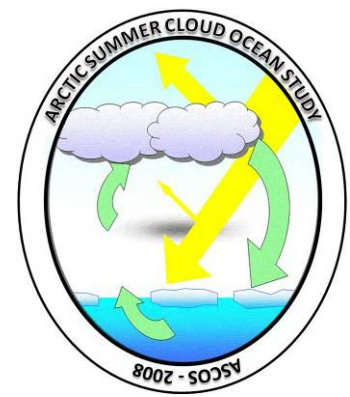
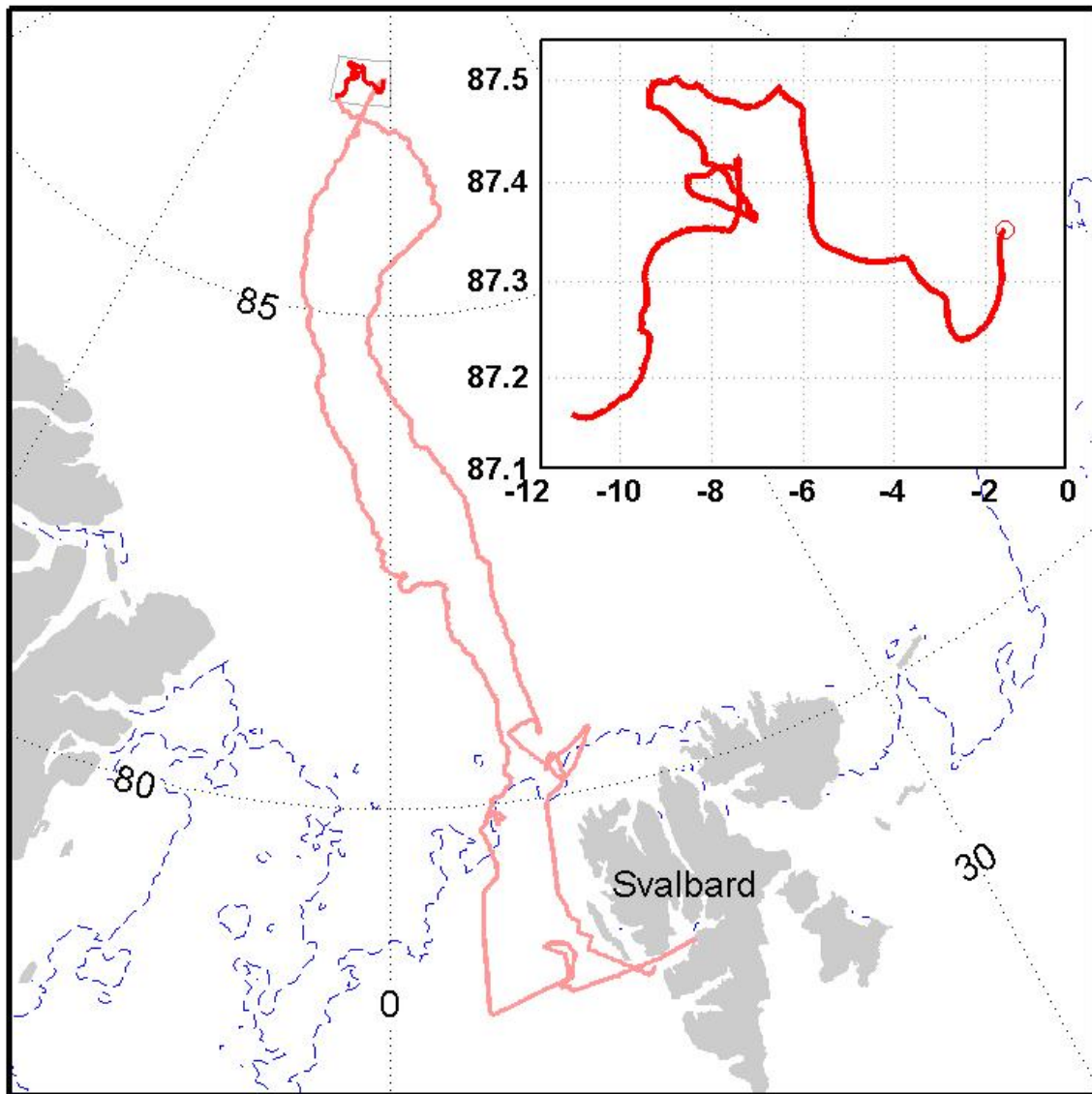
Effects Depend on:
Surface Albedo
Solar Zenith Angle
Liquid Water Path



Net absorption 0 25

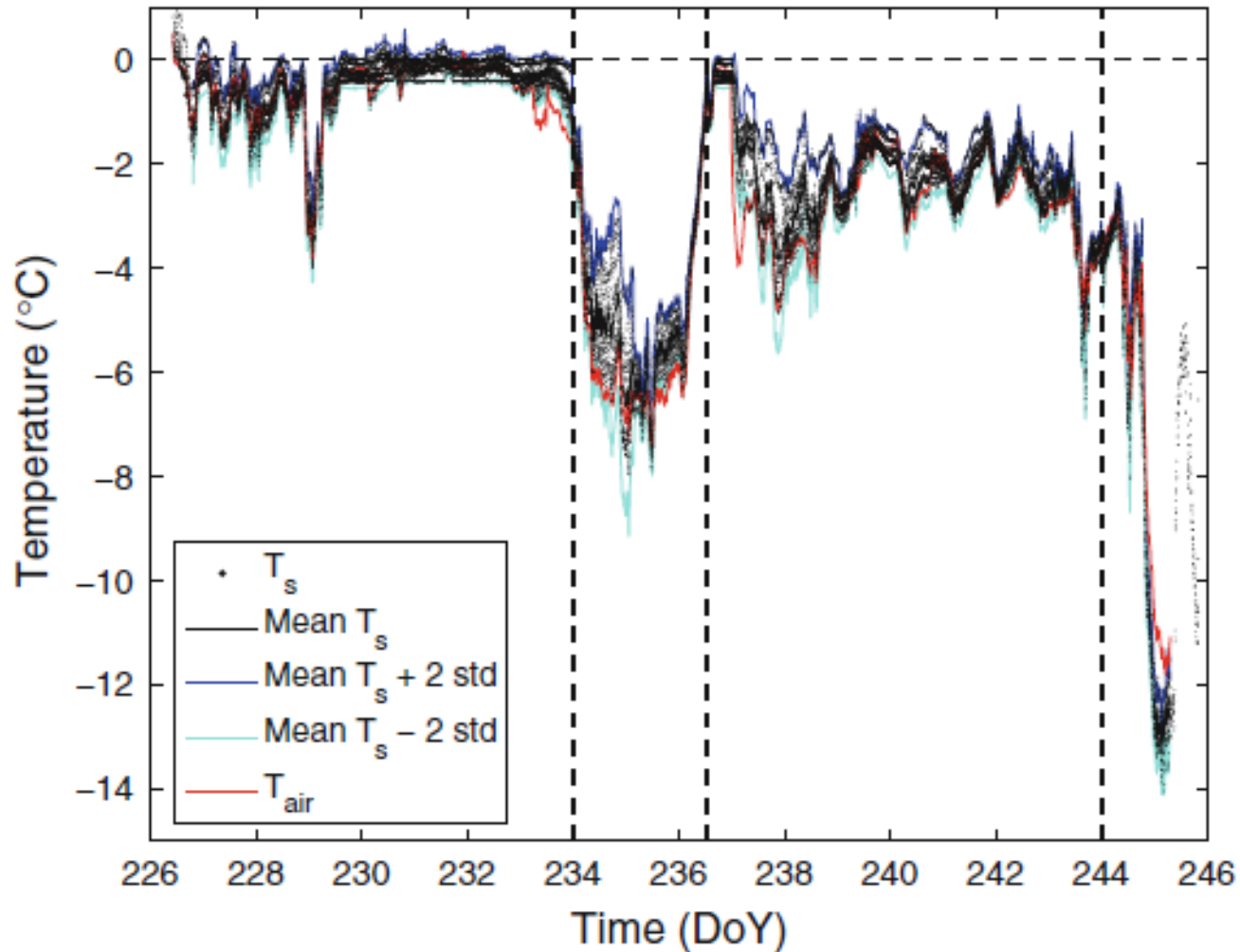
Arctic Summer Cloud and Ocean Study

Aug 1 – Sep 9, 2008

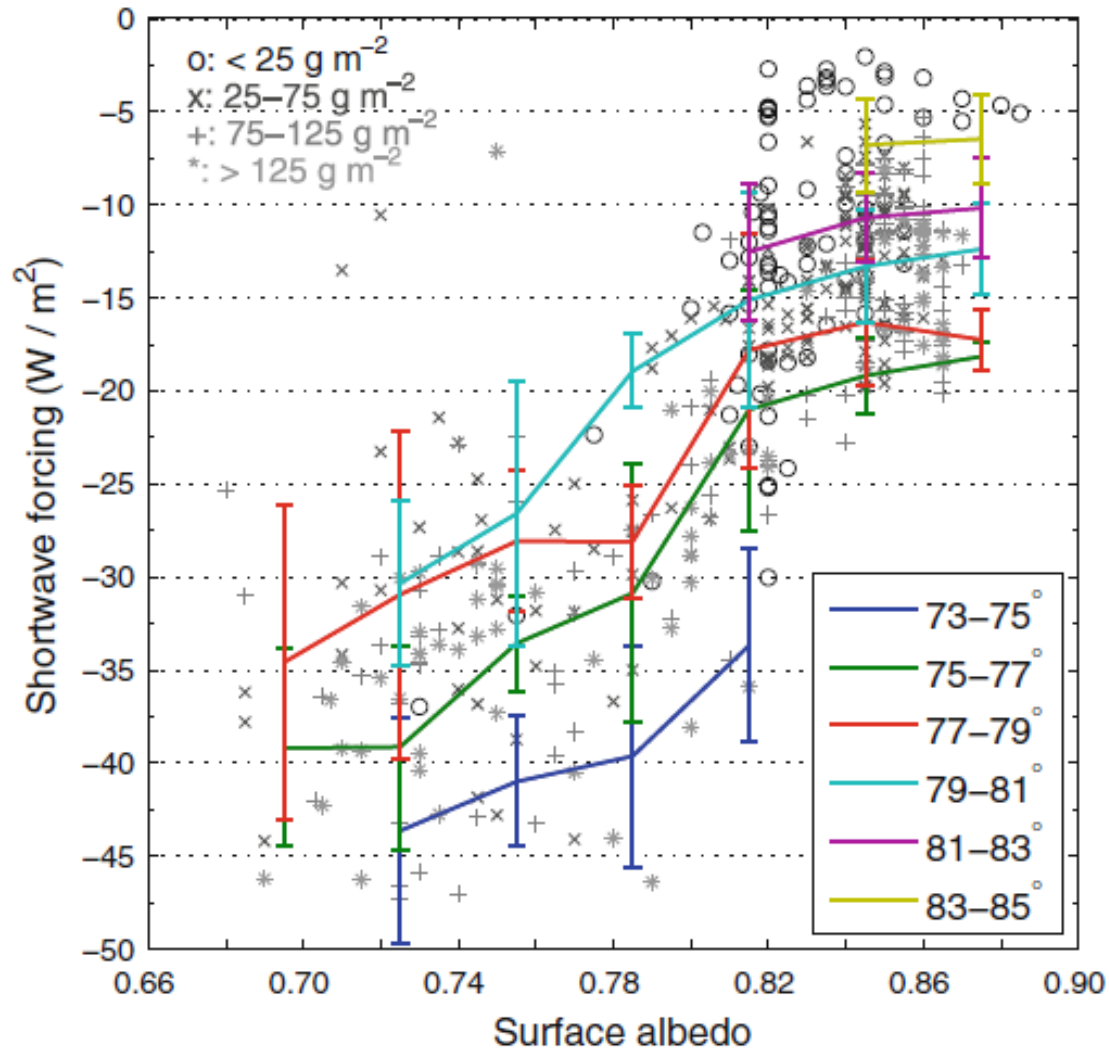


map courtesy of I. Brooks

ASCOS Surface Temperatures



Shortwave Forcing Depends on Surface Albedo



Longwave Forcing Depends on LWP

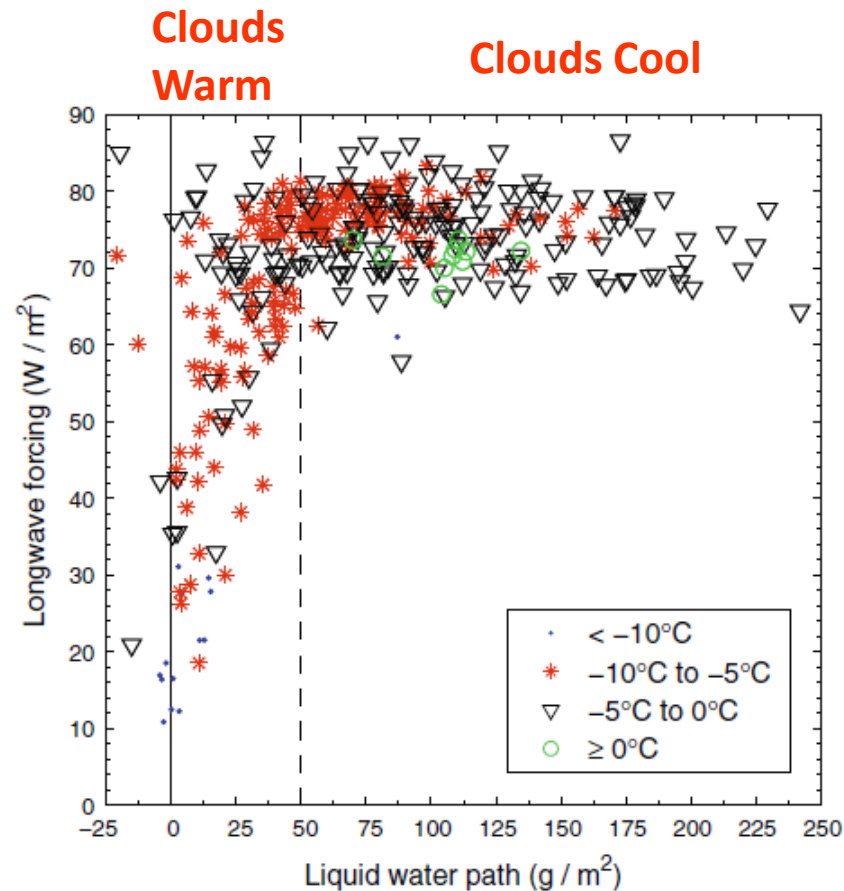


Fig. 11 One-hour LWF (W m^{-2}) as a function of cloud LWP (g m^{-2}), separated by cloud base temperature ranges from < -10 to $> 0^\circ\text{C}$. The solid vertical line represents the zero LWP line; LWP $< 0 \text{ g m}^{-2}$ are included due to the 25 W m^{-2} uncertainty in the measurement. The dashed vertical line marks a LWP of 50 g m^{-2} (see text)

Radiative effects of Arctic clouds

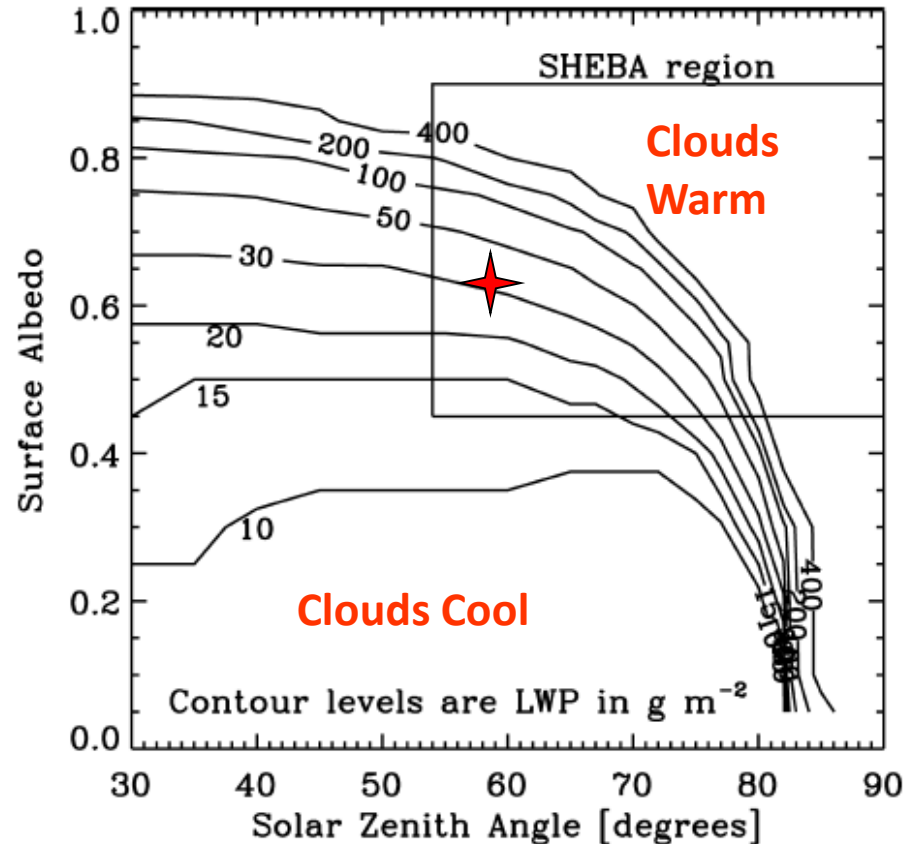


FIG. 7. Contours of the cloud LWP value at which point the SW surface cloud cooling effect becomes dominant over the LW warming effect as a function of θ and α_s . The following parameters are assumed: $T_c = -10^\circ\text{C}$, $z_c = 1 \text{ km}$, $t_{al} = 0.9$, and $t_{as} = 0.75$.

Summary

- cloud droplet formation depends on aerosol size and composition
- clouds in the Arctic can warm or cool
- radiative forcing of Arctic clouds is dependent on aerosol concentration